

We will start our seminar on Thursday, January 24, in M5 at 1pm.

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### **Cartesian-Enriched Quasi-categories, the Isofibration theorem and Yoneda's lemma**

Abstract:

In Joyal's theory of quasi-categories, there is a very nice characterization of the fibrant objects and the fibrations between them as the inner-fibrant objects and isomorphism-lifting inner fibrations respectively. Given a nice-enough Reedy category  $C$ , we construct a horizontal model structure on the category of presheaves of sets on  $\Theta[C]$  that shares a variant of this characterization. Moreover, given a Cartesian presentation with respect to simplicial presheaves on  $C$ , we show that the horizontal model structure  $\text{Psh}(\Theta[C])$  admits a left-Bousfield localization that agrees with Rezk's model structure on  $\text{sPsh}(\Theta[C])$ . It will follow by general facts about left-Bousfield localization that the model fibrations between the local objects are exactly the horizontal isofibrations. We will also briefly describe the generalization of the homotopy-coherent nerve and realization for these enriched Quasi-categories and sketch a proof of Yoneda's lemma in this setting, if time permits.