

We will continue online on Thursday, **March 4th, at 1pm on [ZOOM](#) platform** (for information how to access seminar and next programme visit

[this page](#)

) by the talk:

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## **Dependently typed algebraic theories**

Abstract:

For  $S$  a set,  $S$ -sorted algebraic (or "Lawvere") theories are, equivalently, finite-product categories whose objects are freely generated by  $S$ , finitary monads on  $\text{Set}/S$ , or monoids in a category of "S-coloured cartesian collections".

When  $S$  is a suitable direct category, I will describe equivalences of categories between finitary monads on  $[S^{\text{op}}, \text{Set}]$ , monoids in a category of "S-coloured cartesian collections", and a certain category of contextual categories (in the sense of Cartmell) under  $S^{\text{op}}$ .

Examples of such  $S$  are the categories of semi-simplices, globes and opetopes. Opetopes will be a running example, and we will see that there are three idempotent finitary monads on the category of opetopic sets, whose algebras are, respectively, small categories, coloured planar Set-operads, and planar coloured combinads (in the sense of Loday).

This is partly joint work with Peter LeFanu Lumsdaine, and partly joint work with Cédric Ho Thanh.